

# Signature Path Dictionary for Nested Object Query Processing

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## Abstract

*Predicate evaluation and object traversal are two critical issues for nested object query processing. Aiming at these two issues, we introduce a new method, the signature path dictionary, which combines signature techniques with the path dictionary organization designed for fast object traversals. We derive cost formulae for its storage overhead as well as the retrieval and update costs. Comparing to a previously proposed indexing organization, path signature, the signature path dictionary is superior in all aspects.*

## 1 Introduction

Object-Oriented Database Systems (OODBSs) have advanced significantly in the last decade. In addition to facilitating the design and engineering of traditional database applications, OODBSs provide data modeling mechanisms to support new database applications such as CAD/CAM, CASE, office automation, multimedia systems, and geographical information systems. Among the rich modeling facilities, the concept of *class* allows object-oriented database systems to define complex data more precisely and conveniently than the relational data model.

A class may consist of *simple attributes* (e.g., of domain integer or string) and *complex attributes* with user-defined classes as their domains. Since a class  $C$  may have a complex attribute with domain  $C'$ , an *aggregation relationship* can be established between  $C$  and  $C'$ . Using arrows connecting classes to represent aggregation relationship, a directed graph, called the *aggregation hierarchy*, may be built to show the nested structure of the classes.

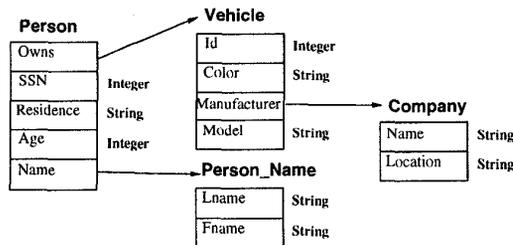


Figure 1: Aggregation hierarchy.

Figure 1 is an example of an aggregation hierarchy, which consists of four classes, Person, Vehicle, Person\_Name, and Company. The class Person has three *simple attributes*, SSN, Residence and Age, and two *complex attributes*, Owns and Name. The domain classes of the attributes Owns and Name are Vehicle and Person\_Name, respectively.

Every object in an OODBS is identified by an *object identifier* (OID). The OID of an object may be stored as attribute values of other objects. If an object  $O$  is referenced as an attribute of object  $O'$ ,  $O$  is said to be *nested* in  $O'$  and  $O'$  is referred to as the *parent* object of  $O$ . The *nested attributes* of an object refer to the simple attributes of the object's nested objects.

### 1.1 Nested Object Query Processing

OODBs support queries involving nested objects. These queries are called *nested queries*. There are two basic approaches to evaluating a nested query: *top-down* and *bottom-up* evaluations [5]. The top-down approach traverses the objects starting from an ancestor class to a nested class. Since the OID in a parent object leads directly to a child object, this approach is also called a *forward traversal* approach. On the other hand, the bottom-up method, also known as *backward traversal*, traverses up the aggregation hierarchy. A child object, in general, does not carry the OID of (or an inverse reference to) its parent object. Therefore, in order to identify the parent object(s) of an object, we have to compare the child object's OID against the corresponding complex attribute in the parent class. This is similar to a relational join when we have more than one child object to start with. Note that when every reference from an object  $O$  to another object  $O'$  (e.g., Owns) is accompanied with an inverse reference from  $O'$  to  $O$  (e.g., Owned\_by), the aggregation hierarchy becomes bi-directional, resulting in no difference between the top-down and the bottom-up approaches. In this paper, however, we assume there is no inverse references.

There are many kinds of nested queries, and several indexing organizations have been proposed to support nested query processing [1,2,6,7,9]. However, an access method doesn't necessarily support all of the nested queries. Even with the same access method, different kinds of queries may be evaluated differently. To facilitate our discussion, we define *target classes* as the classes from which objects are retrieved and *predicate classes* as the classes involved in the predicates of the query. Thus, nested queries may be classified by the relative positions of the target and predicate classes on the aggregation hierarchy:

- TP: The target class is an ancestor class of the predicate classes.
- PT: The target class is a nested class of the predicate classes.
- MX: The target class is an ancestor class of some predicate class and a nested class of some predicate class.

## 1.2 Signature Techniques

The object signature  $S_i$  of an object  $O$  is a superimposed bit string generated from  $O$ 's attribute values. The signature of a simple attribute is obtained by hashing the attribute value. As we will see later, the signature of a complex attribute can be obtained in a number of ways. An object signature is formed by superimposing the signatures of its attributes. Object signatures are stored sequentially in a signature file. A query specifying certain values to be searched for is transformed into a query signature  $S_Q$  in a similar way. The query signature is then compared to every object signature in the signature file. There are three possible outcomes of the comparison: (1) the object matches the query; that is, for every bit set in  $S_Q$  the corresponding bit in the object signature is also set (i.e.  $S_Q \wedge S_i = S_Q$ ); (2) the object doesn't match the query (i.e.  $S_Q \wedge S_i \neq S_Q$ ); and (3) the signature comparison indicates a match but the object in fact does not match the search criteria. The last case is called a *false drop*. In order to eliminate false drops, the object must be examined after the object signature signifies a match.

The signature file is used to screen out most of the unqualified objects. A signature failing to match the query signature guarantees that the corresponding object can be ignored. Therefore, unnecessary object accesses are avoided. Signature files have a much lower storage overhead and a simpler file structure than inverted indexes. They are particularly good for multi-attribute retrieval when the attributes have equal chance of being specified in the query. Since queries in an OODBs could be very flexible, inverted indexes would be very complex if all possible access paths are supported.

Several signature techniques for OODBs have been proposed. The tree signature scheme creates the signature of an object by superimposing the signatures of all of the simple and nested attributes of the object in the aggregation hierarchy, whereas the path signature method generates an object signature based on the simple and nested attributes along a given path [7]. The signature replication technique [9] generates object signatures from the simple attribute values of the objects. Instead of using only OIDs, the object signature of an object and its OID are stored as complex attributes of the parent objects. Moreover, a signature technique for the support of set value access has been proposed [4]. In this paper, we propose a different signature organization which provides both associative search and object traversal facilities for query processing in OODBs.

The rest of the paper is organized as follows. In Section 2, we first briefly describe the path signature scheme, which is compared with the new organization in performance evaluation. In Section 3, we introduce the concept and implementation of the signature path dictionary. Cost models for both organizations and performance comparisons are presented in Section 4. Section 5 concludes the paper.

## 2 Path Signature Scheme

For every class  $C$  in a given path of the aggregation hierarchy, there exists a signature file such that every object  $O$  in  $C$  has a signature entry  $\langle sig, oid\_list \rangle$  in the signature file, where  $sig$  is the signature of  $O$  and  $oid\_list$  is a list of object identifiers corresponding to  $O$  and its nested objects located on the path.

The signature of an object is created as follows:

1. the signature of a primitive object is generated by hashing the primitive value.

2. the signature of an object not on the path is generated by hashing on its object identifier.
3. the signature of an object on the specified path is generated from superimposing the signatures of all of its attributes.

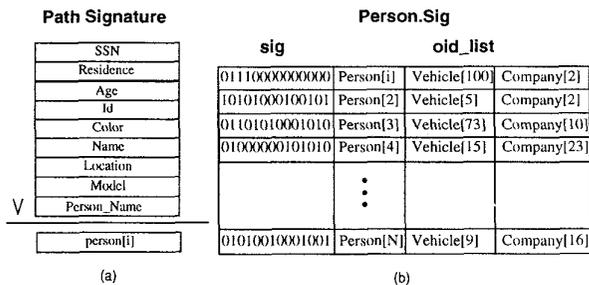


Figure 2: Path Signature Scheme. (a) Creation of an object signature; (b) structure of a path signature file.

Figure 2(a) and (b) show the creation of an object signature and the signature file for class `Person` located on the path `Person.Vehicle.Company`. The signature of `Person[i]` is the superimposition of the signatures for `SSN`, `Residence`, `Age`, `Name`, and `Owns`. The signature of `Name` is generated by hashing its OID (`Lname` and `Fname` are not used). The signature of `Owns` is generated from all of the primitive values along the path (i.e., `Id`, `Color`, `Model`, `Name`, and `Location`). In the signature file of class `Person`, the signature of object `Person[i]` is associated with a list of OIDs, including `Person[i]` and its nested objects. The path signature files are indexed by an identity index which, given an OID, allows the query processor to efficiently locate the signature entries containing the OID. The identity index may be implemented as a tree-structured organization such as *B-tree*. Because an OID may appear in several signature files and in different signature entries, we use the  $\langle File\#, Page\# \rangle$  to specify the locations of the signature entries.

There are two types of nested queries: TP and PT queries. To retrieve objects for a TP query  $Q$ , we may evaluate the query by top-down or bottom-up approaches. For the top-down approach, the query signature  $S_Q$  has to be formed first. For each entry  $\langle sig_i, oidlist_i \rangle$  in the signature file associated with the target class,  $S_Q$  is compared with  $S_i$ . If they match,  $oidlist_i$  is then put into a set. Finally, for each  $oidlist_i$  in the set, objects are retrieved from the predicate class to eliminate false-drop. If the search condition of the query is satisfied, the OIDs of the target objects are returned. For the bottom-up approach, the query signature  $S_Q$  is compared with the signatures in the signature file of the predicate class. Matched objects from the predicate class are accessed to eliminate false drops. The OIDs of the truly qualified objects are used as key to search the identity index for addresses of the signature entries in the target class's signature file. The OIDs of the qualified target objects are returned from the signature entries of the target signature file.

On the other hand, PT queries may be processed using top-down approach only, because the predicate class is on top of the target class. Therefore, the signatures associated with the target class do not maintain information about objects in the predicate class.

When an object  $O$  is modified, we have to update the signatures of  $O$  and its ancestor objects to maintain the accuracy of the signatures. The maintenance of signatures is



a free space directory (FSD), which records the pages with free space above a certain threshold, is maintained at the beginning of the path dictionary.

In order to efficiently locate an  $s$ -expression, an identity index is provided to map OIDs to the locations in the path dictionary where the OIDs can be found. Since identity search is important for retrieval and update, the identity index significantly reduces the cost for retrieval and update operations. The identity index is organized as a separate search tree on top of the path dictionary. The leaf nodes of the index store the identifiers and  $s$ -expression locations of the objects.

### 3.3 Retrieval and Update Operations

Assume that a signature path dictionary is available for the path  $C_1.C_2...C_n$ . For a given query  $Q$  with predicate classes  $C_{p_1}, C_{p_2}, \dots, C_{p_m}$ , where  $m \leq n$  and  $1 \leq p_1 < p_2 < \dots < p_m \leq n$ , a predicate signature  $Sig_{p_i}$  is generated for each predicate class  $C_{p_i}$ , where  $1 \leq i \leq m$ . To answer the query, the signature path dictionary is sequentially scanned to match the object signatures with the corresponding predicate signatures. The matched objects are retrieved from the database to eliminate false drops. Finally, the OIDs of the qualified objects in the target class are derived from the  $s$ -expressions and returned to the users.

To answer the query "retrieve the persons who own cars made by GM", the signature path dictionary is scanned and the signatures of Company objects are used to match with the signature generated for "GM". The matched Company objects are then accessed to verify if they are really called "GM". The Person objects are returned if they are in the  $s$ -expressions of the Company objects which satisfies the predicates.

We have to consider the updates on simple attributes and complex attributes of an object separately. When a simple attribute of an object is updated, we first recompute the signature of the modified object; search through the identity index to locate the  $s$ -expression of the modified object; and update the signature of the modified object. The identity index need not be changed.

To update the complex attribute of an object, we recompute the signature of the object. The path dictionary and identity index have to be updated accordingly to maintain accurate path information. Suppose  $O_i$  has its complex attribute changed from  $O_{i+1}$  to  $O'_{i+1}$  ( $O_i$ ,  $O_{i+1}$  and  $O'_{i+1}$  are identified by  $\phi_i$ ,  $\phi_{i+1}$  and  $\phi'_{i+1}$ , respectively). We search the path dictionary through the identity index to find the  $s$ -expressions containing  $\phi_i$  and  $\phi'_{i+1}$ . Then,  $\phi_i$  and its ancestor list are moved from the ancestor list of  $\phi_{i+1}$  to the ancestor list of  $\phi'_{i+1}$ . Meanwhile, the identity index has to be updated by changing the  $s$ -expression addresses for objects in the moved ancestor list.

## 4 Analytical Model

We formulate cost models to estimate the storage overhead and query performance of the signature path dictionary. Given a path  $P = C_1C_2...C_n$ , we use the following parameters to describe the characteristics of classes in the path.

- $A_i$ : the complex attribute of  $C_i$  used to connect  $C_i$  to  $C_{i+1}$ ,  $1 \leq i \leq n-1$ .
- $D_i$ : the number of distinct values for attribute  $A_i$ .
- $N_i$ : the number of objects in class  $C_i$ ,  $1 \leq i \leq n$ .
- $P$ : the page size.
- $Pf$ : false drop probability of a signature.
- $Ps$ : selectivity of a query.

$Sr_i$ : the ratio of shared references from  $C_i$  to  $C_{i+1}$ .

$f$ : fanout from a nonleaf node in the identity index.

$ff$ : the length of a file pointer.

$k$ : average number of attributes in a class.

$m$ : length of a signature in bits.

$pp$ : the length of a page pointer.

$s$ : the number of bit strings which are superimposed into a signature.

$w$ : number of 1's in a bit string generated from hashing.

$EL$ : the length of EOS.

$FSL$ : the length of the free space field in FSD.

$OFFL$ : the length of an offset field in the signature path dictionary.

$OIDL$ : the length of an object identifier.

$OBJL$ : the average size of an object.

$SL$ : the length of the start field in the signature path dictionary.

Performance is based primarily on the number of I/O accesses. Since a *page* is the basic unit for data transfer between the main memory and the external storage device, we use it to estimate the storage overhead and the performance cost. All lengths and sizes used above are in *bytes*.

The following are assumptions used in our analysis:

1. There are no partial instantiation, which implies that  $D_i = N_{i+1}$ .
2. All key values have the same length.
3. The values of complex attributes are uniformly distributed among instances of their domain classes.
4. All attributes are single-valued.

Table 1: Parameters of the cost models.

$EL = 4$	$OIDL = 8$	$OBJL = 320$	$SL = 2$	$pp = 4$
$FSL = 2$	$OFFL = 2$	$P = 4096$	$ff = 1$	$k = 10$

Table 1 lists the values chosen for the performance comparison. Based on the assumption, the number of objects in class  $C_i$  may be derived as follows.

$$N_i = Sr_i Sr_{i+1} \dots Sr_{n-1} \cdot N_n, \text{ where } 1 \leq i \leq n.$$

### 4.1 False Drop Probability

For a given signature length of  $m$  bits and the number of bit strings superimposed into a signature  $s$ , the minimal false drop probability for a single value query is [3,8]:

$$Pf \approx 0.5^{m \cdot \ln 2 / s}$$

#### 4.1.1 Path Signature

Assume that the average number of attributes in a class is  $k$ . The optimal false drop probability for signatures corresponding to objects in class  $C_i$  is:

$$Pf_i^{ps} = 0.5^{m \cdot \ln 2 / ((n-i+1) \cdot k)}$$

Assume that a query involves only the target class and a predicate class and that the classes on the path have equal probability to be used in a query. The average of the optimal false drop probabilities for signatures corresponding to objects in classes  $C_1, C_2, \dots, C_n$  is:

$$Pf_{avg}^{ps} = \frac{2}{n(n+1)} \sum_{i=1}^n Pf_i^{ps} (n-i+1)$$

### 4.1.2 Signature Path Dictionary

The optimal false drop probability for signature path dictionary is:

$$P_{fspd} = 0.5^{m \cdot \ln 2 / k}$$

### 4.1.3 Comparison

In the following comparisons, we assume a path of 4 classes. The number of objects in  $C_4$  is assumed to be 10,000. The average reference ratio between consecutive classes is set to 3. Also, the average number of attributes in a class is set to 10. Using the formulae developed above, we compare the false drop probability of the signature path dictionary and the average false drop probability of the path signature files. In the comparison, we vary the signature lengths to observe the change of the false drop probabilities.

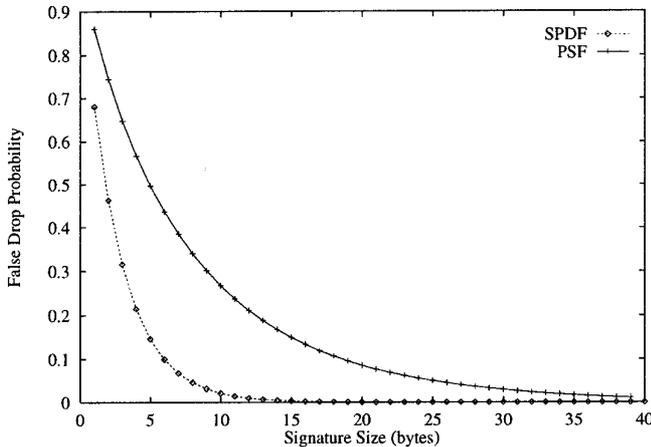


Figure 5: False drop probability vs signature size.

Figure 5 shows, as we expected, that the signature path dictionary has lower false drop probability than the path signature method. This is because the signature path dictionary only abstracts information from an object's simple attributes object into the object signature, while the path signature maintains the abstracted information from both simple and nested attributes.

## 4.2 Storage Overhead

### 4.2.1 Path Signature

For every object in  $C_i$ , there is an entry in the signature file associated with  $C_i$ . The size of the entry is:

$$SE_i = SIGL + (n - i + 1) \cdot OIDL$$

There are  $N_i$  objects in  $C_i$ . Thus the number of disk pages for  $C_i$ 's signature file is:

$$SSF_i = \begin{cases} \lceil N_i / \lfloor P / SE_i \rfloor \rceil, & \text{if } SE_i \leq P \\ N_i \lceil SE_i / P \rceil, & \text{if } SE_i > P \end{cases}$$

For the identity index, the size of a leaf node corresponding to an object in  $C_i$  is:

$$XP_i = OIDL + (ff + pp) \cdot \sum_{j=1}^i S_{r_j} \cdot S_{r_{j+1}} \cdots S_{r_i}$$

The number of leaf pages of the identity index corresponding to objects in class  $C_i$  is:

$$LP_i = \begin{cases} \lceil N_i / \lfloor P / XP_i \rfloor \rceil, & \text{if } XP_i \leq P \\ N_i \lceil XP_i / P \rceil, & \text{if } XP_i > P \end{cases}$$

The total number of leaf pages needed for the identity index of the path signature files is:

$$TLP_{ps} = \sum_{i=1}^n LP_i$$

The number of nonleaf pages is:

$$NLP_{ps} = \lceil TLP_{ps} / f \rceil + \lceil \lceil TLP_{ps} / f \rceil / f \rceil + \dots + X,$$

where  $X < f$ . If  $X \neq 1$ ,  $NLP_{ps}$  is increased by 1 to account for the root node. As a result, the overall storage overhead for the path signature files for  $C_1, C_2, \dots, C_n$  is:

$$PSS_{ps} = \sum_{i=1}^n SSF_i + TLP_{ps} + NLP_{ps}$$

### 4.2.2 Signature Path Dictionary

Each object in the path dictionary, except for those in the root class of the path, is associated with an offset. Therefore, an object will take at most  $(OIDL + SIGL + OFFL)$  bytes in an  $s$ -expression. The average number of objects in an  $s$ -expression is:

$$NOBJ = 1 + S_{r_{n-1}} + S_{r_{n-1}} S_{r_{n-2}} + \dots + S_{r_{n-1}} S_{r_{n-2}} \cdots S_{r_1}$$

Thus, the average size of an  $s$ -expression is:

$$SS = SL \cdot n + (OIDL + SIGL + OFFL) NOBJ + EL$$

The number of pages needed for all of the  $s$ -expressions on the path is:

$$SSP = \begin{cases} \lceil N_n / \lfloor P / SS \rfloor \rceil & \text{if } SS \leq P \\ N_n \lceil SS / P \rceil & \text{if } SS > P \end{cases}$$

The number of pages needed for the free space directory is:

$$FSD = \lceil SSP(pp + FSL) / P \rceil$$

The number of leaf pages needed for the identity index of the signature path dictionary is:

$$TLP_{spd} = \lceil NOBJ \cdot N_n / \lfloor P / (OIDL + pp) \rfloor \rceil$$

The number of nonleaf pages is:

$$NLP_{spd} = \lceil TLP_{spd} / f \rceil + \lceil \lceil TLP_{spd} / f \rceil / f \rceil + \dots + X,$$

where  $X < f$ . If  $X \neq 1$ ,  $NLP_{spd}$  is increased by 1 to account for the root node. Therefore, the number of pages needed for the path dictionary is:

$$SPDS = FSD + SSP + TLP_{spd} + NLP_{spd}$$

### 4.2.3 Comparison

We use the same parameters and assumptions as we used in evaluating the false drop probability. We evaluate the storage overhead with signature size from 1 to 40 bytes for the path signature and signature path dictionary organizations.

Figure 6 shows that the signature path dictionary has a smaller storage overhead than the path signature for various signature sizes. As we will see later in the comparison for retrieval cost, the signature path dictionary and the path signature reach the best retrieval performance when the signature size is 15 bytes and 51 bytes, respectively. In other words, the signature path dictionary introduces a much smaller storage overhead than the path signature does to achieve the best retrieval performance.

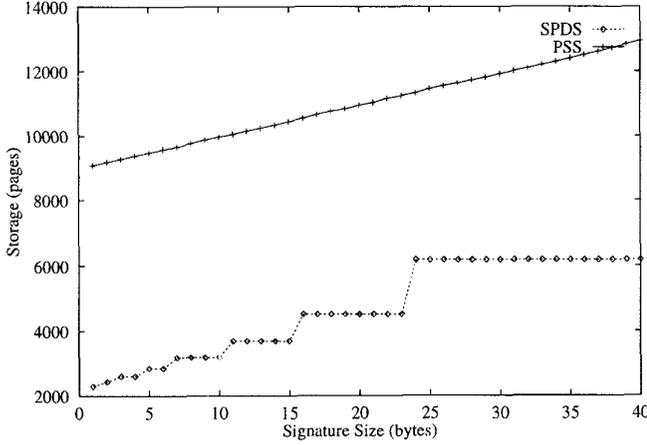


Figure 6: Storage vs signature size.

### 4.3 Retrieval Cost

To simplify our analysis, we assume that there is only one predicate attribute in the queries. Let  $C_t$  and  $C_p$  be the target and predicate classes of the queries, respectively.

#### 4.3.1 Path Signature

Due to space constraint, we only derive formulae for the top-down approach. To evaluate a query which uses classes  $C_i$  and  $C_j$ , where  $1 \leq C_i \leq C_j \leq n$ , as predicate and target classes, respectively, we first scan through the path dictionary associated with  $C_i$ . Let  $Pf_i^{ps}$  and  $Ps^{ps}$  be the false drop probability of the signatures and the selectivity of the query, respectively. Assuming equal probability for each class to be used in a query, the average number of page accesses for a query is:

$$PSR = \frac{\sum_{i=1}^n \sum_{j=i}^n (SSF_i + (Pf_i^{ps} + Ps^{ps}) \cdot N_i \cdot \lceil OBJL/P \rceil)}{n(n+1)/2}$$

#### 4.3.2 Signature Path Dictionary

The signature path dictionary must be scanned to answer a query  $Q$  with  $C_t$  as the target class and  $C_p$  as the predicate class, where  $1 < t, p < n$ . Let  $Pf^{spd}$  and  $Ps^{spd}$  be the false drop probability of the signatures and the selectivity of the query, respectively. The average number of pages accessed is:

$$SPDR = SSP + (Pf^{spd} + Ps^{spd}) \cdot \frac{\sum_{i=1}^n N_i}{n} \cdot \lceil OBJL/P \rceil$$

#### 4.3.3 Comparison

Figure 7 compares the average retrieval cost of the signature path dictionary and path signature. It shows that the retrieval cost of the signature path dictionary rapidly drops and then increases again as the signature size increases. The path signature shows similar behavior, though it is not obvious in the figure. The figure also shows that the best retrieval performance for the signature path dictionary is better than that of the path signature.

### 4.4 Update Cost

To simplify the analysis, we do not include the cost due to page overflow. In the following, we assume that the complex attribute  $A_{i+1}$  of  $O_i$  is changed from  $\phi_{i+1}$  to  $\phi'_{i+1}$  ( $\phi_{i+1}$  and  $\phi'_{i+1}$  are OIDs of  $O_{i+1}$  and  $O'_{i+1}$ , respectively).

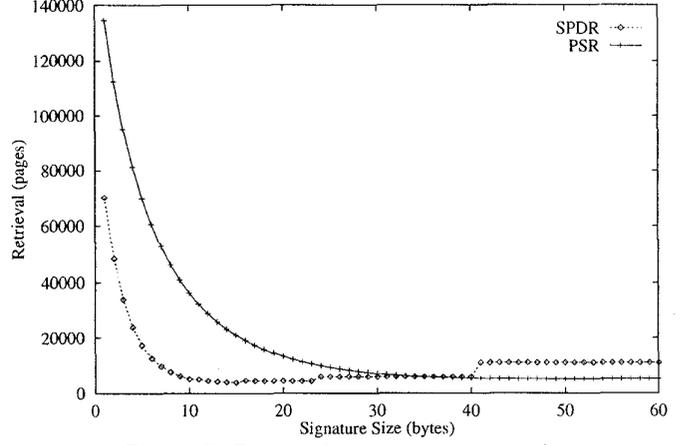


Figure 7: Retrieval cost vs signature size.

#### 4.4.1 Path Signature

We first derive the update cost when the complex attribute of  $O$  is updated. The number of page accesses for searching the identity index based on an object in class  $C_i$  is:

$$SII_i = h + \lceil XP_i/P \rceil,$$

where  $1 \leq i \leq n$  and  $h$  = height of the identity index - 1.

We need to search the identity index twice to access the leaf nodes corresponding to  $O_{i+1}$  and  $O'_{i+1}$ . The number of page accesses is  $2 \times SII_{i+1}$ . Meanwhile, the number of page accesses for searching the identity index and accessing the leaf node corresponding to  $O$  is  $SII_i$ .

The  $\langle File\#, Page\# \rangle$  pairs on the leaf node corresponding to  $O_i$  has to be moved from the leaf node corresponding to  $O_{i+1}$  to that corresponding to  $O'_{i+1}$ . Thus, the number of page accesses is:

$$WLN_i = 2 \cdot \lceil XP_{i+1}/P \rceil,$$

where  $1 \leq i \leq n-1$ .

Based on the leaf nodes corresponding to  $O_i$  and  $O'_{i+1}$ , we access to the signature entries for  $O_i$  and  $O'_{i+1}$ , recompute the signature and reconstruct the entry for  $O_i$ , and write the entry back to its signature file. Therefore, the number of page accesses needed is:

$$WB_i = \lceil SE_{i+1}/P \rceil + 2 \cdot \lceil SE_i/P \rceil,$$

where  $1 \leq i \leq n-1$ .

When the updated object is in class  $C_1$ , it's not necessary for update spreading. For other classes, the number of page accesses for spreading the update of signatures to the object's ancestor objects is:

$$SPA_i = (2 \lceil SE_{i-1}/P \rceil + \lceil OBJL/P \rceil) \cdot (Sr_{i-1} + Sr_{i-2} \cdot Sr_{i-1} + \dots + Sr_1 \cdot Sr_2 \cdot \dots \cdot Sr_{i-1}),$$

where  $2 \leq i \leq n$ .

Thus, to update a complex attribute of the path signature organization, the total number of page accesses is:

$$PSU_{complex} = \frac{\sum_{i=1}^{n-1} 2SII_{i+1} + SII_i + WLN_i + WB_i + SPA_i}{n-1}$$

On the other hand, if a simple attribute of an object  $O_i$  in class  $C_i$  is modified, we have to update the signatures of  $O_i$

and its ancestor objects. The identity index is not changed. The update cost includes scanning the identity index for the objects nested in  $O$  to obtain its signature and the addresses of the signature entries corresponding to  $O$  and  $O$ 's ancestors, access to them, and update their corresponding signature entries. Therefore, the total number of page accesses is:

$$PSU_{simple} = \frac{\sum_{i=1}^{n-1} (SII_{i+1} + WB_i + SPA_i) + SII_n + WB_n + SPA_n}{n}$$

#### 4.4.2 Signature Path Dictionary

If a simple attribute of an object  $O$  is modified, we have to update  $O$ 's signature. This entails an identity index scan and write-back of an  $s$ -expression. The number of page accesses for scanning the identity index is:

$$SII = h + \lceil LP/P \rceil,$$

where  $h$  = height of the identity index - 1. Therefore, the update cost for modifying a simple attribute is:

$$SPDU_{simple} = SII + 2\lceil SS/P \rceil$$

To update the complex attribute  $A_{i+1}$  of  $O_i$  from  $\phi_{i+1}$  to  $\phi'_{i+1}$ , the identity index is searched to read and write back the  $s$ -expressions corresponding to  $\phi_{i+1}$  and  $\phi'_{i+1}$ . On the other hand, the  $s$ -expression addresses of the ancestor objects of  $O_i$  have to be updated in the identity index. Therefore, the average update cost for modifying a complex attribute is:

$$PDU_{complex} = \frac{(SII + 2)}{n-1} \sum_{i=2}^{n-1} \sum_{j=1}^{i-1} Sr_j \cdot Sr_{j+1} \cdots Sr_{i-1} + 2(SII + 2\lceil SS/P \rceil)$$

#### 4.4.3 Comparison

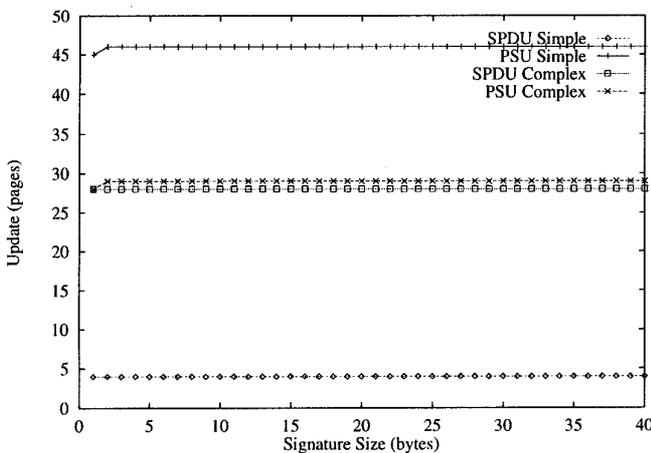


Figure 8: Update cost vs signature size.

Figure 8 compares the update cost of the two organizations with different signature sizes. We show both the update cost for updating a simple attribute and that for updating a complex attribute. It can be observed that the number of page accesses needed for updating the signature path dictionary is less than that for updating the path signature. For the signature path dictionary, the update cost for a simple attribute is lower than that for a complex attribute, because there is no need to spread signature update to its ancestor objects. On the other hand, the path signature is required to spread signature updates to ancestor objects for both of the simple and complex attributes.

## 5 Conclusion

Nested object query processing is an important problem in the research of object-oriented database systems. Nested object traversal and associative evaluation of the predicates in a query are two of the critical issues involved with nested processing. Path dictionary and signature techniques have been proposed to resolve the above mentioned issues, correspondingly. In this paper, we combine these two techniques to propose a new secondary indexing organization, signature path dictionary, to support efficient processing of nested object queries.

In the paper, we present the concept and implementation of the signature path dictionary. Cost models for the storage overhead, retrieval cost and update cost of these two organizations are developed. Using these models, we compare the cost of the signature path dictionary to an enhanced version of the path signature method. The comparison shows that the path dictionary yields a dramatic improvement on the storage, retrieval and update cost.

Next, we want to extend the signature path dictionary technique to distributed object management environments. We believe that caching the signature and path information of objects into the main memory will significantly improve the performance of object-oriented database systems.

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